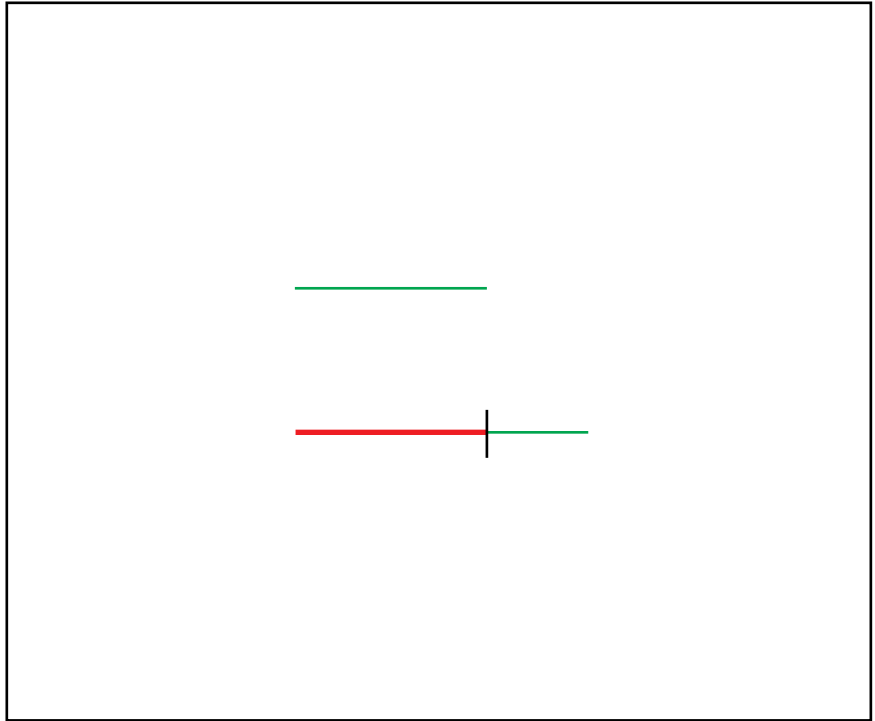
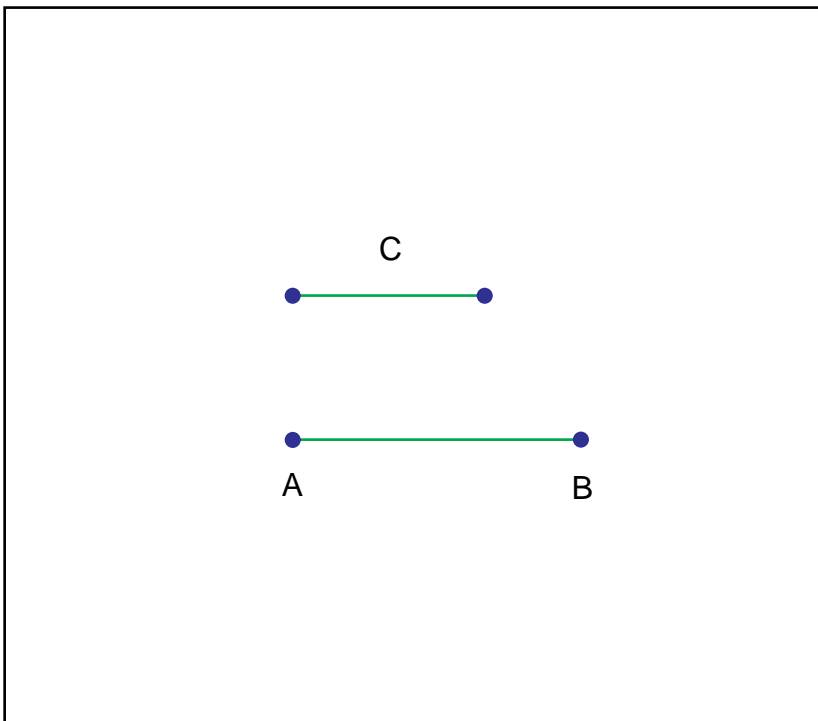

Construction 3: Book I, Proposition 3

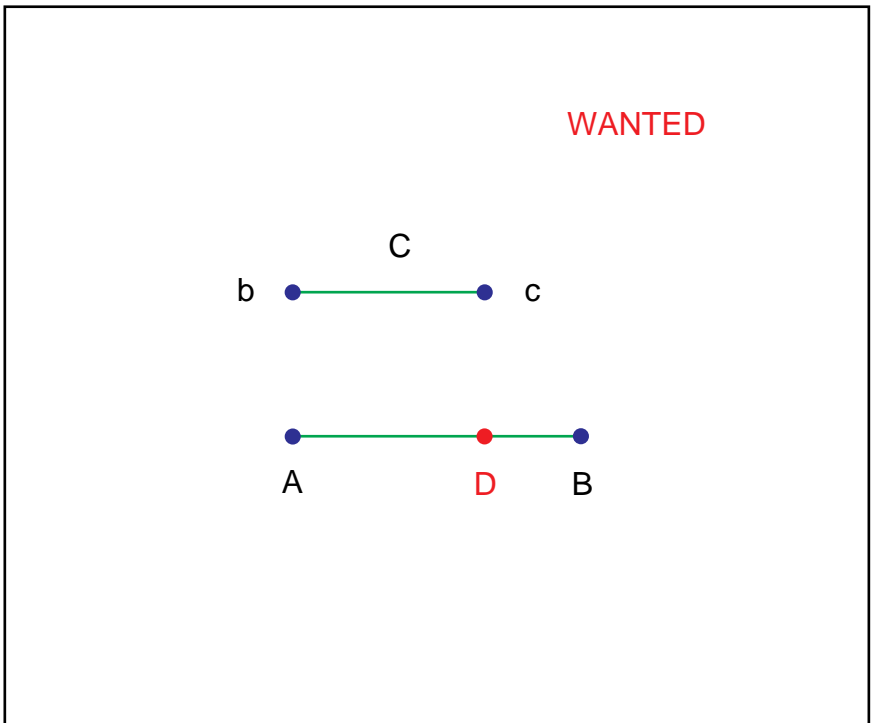
*Given two unequal straight lines,
to cut off from the greater a
straight line equal to the less.*



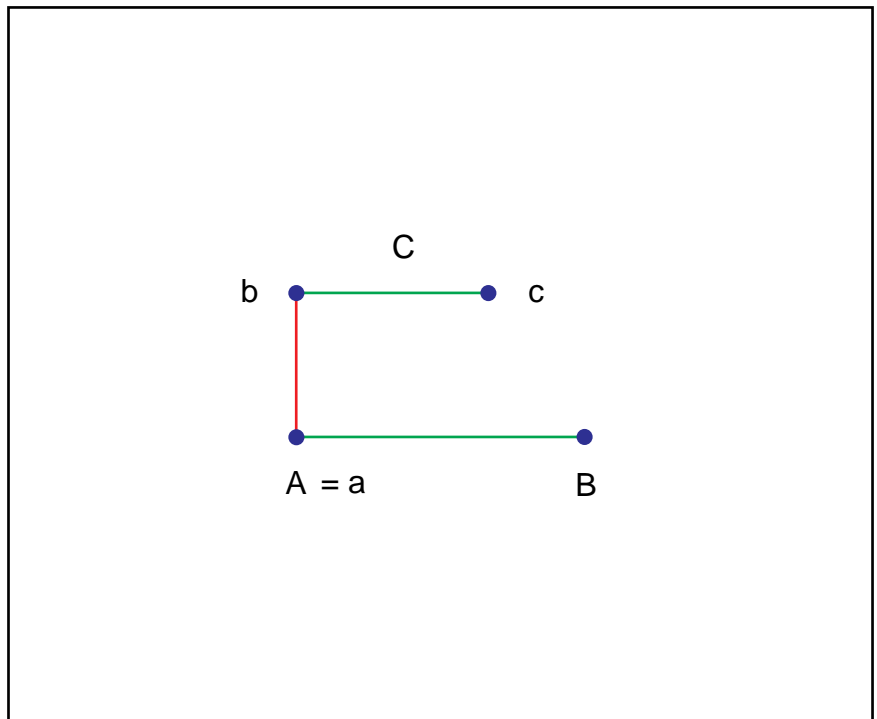
I.3:4. Let AB , C be the two
unequal straight lines, and let AB
be the greater of them.



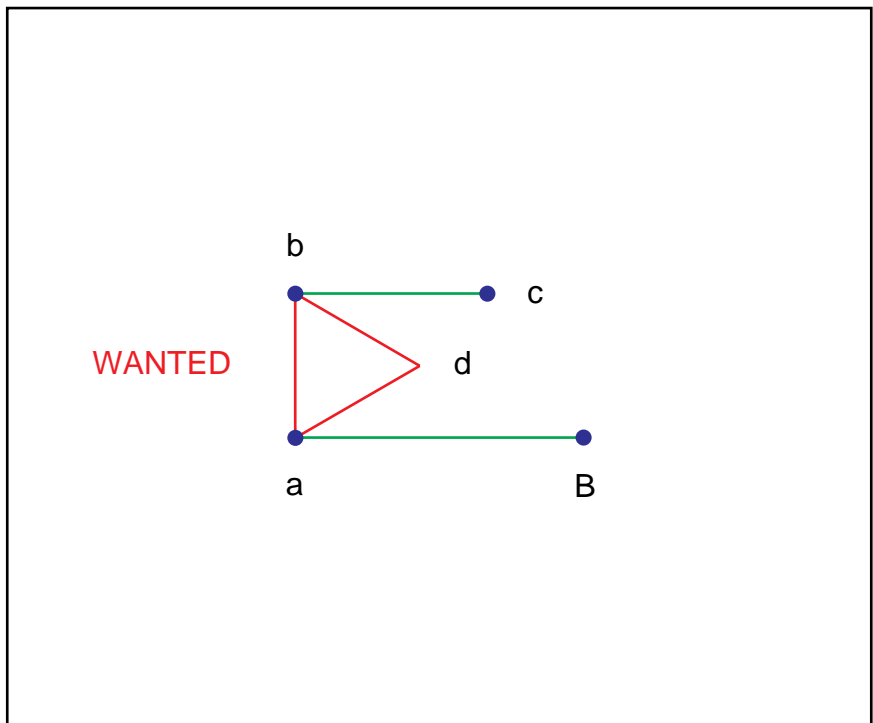
I.3:10. At the point A let AD be placed equal to the straight line C; [I.2]



GOSUB I.2 . Relabel points.
I.2:7. From the point a to the point b let the straight line ab be joined; [Post.1]

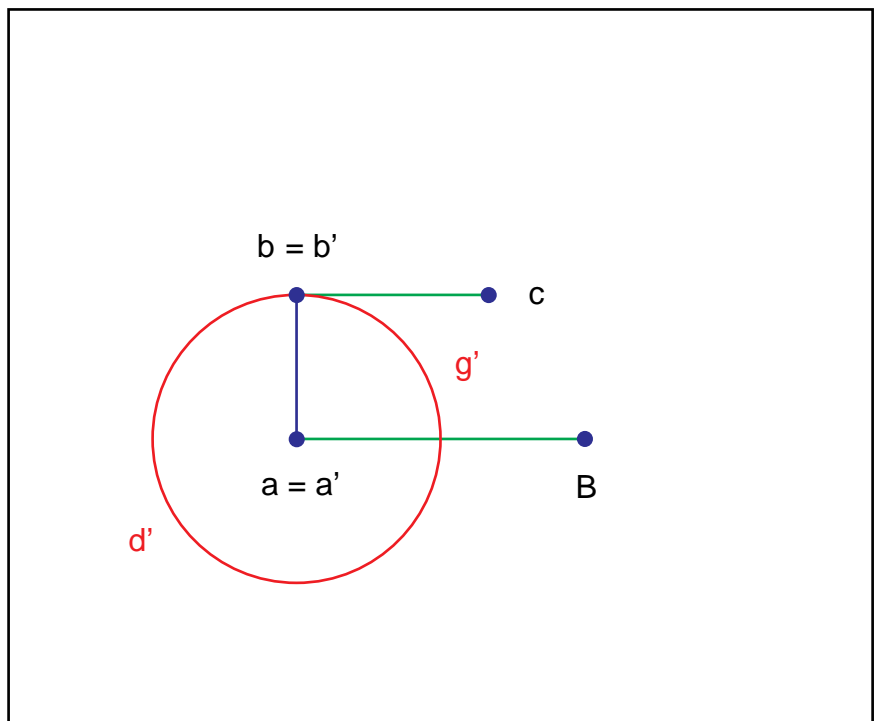


I.2:9. and on it let the equilateral triangle dab be constructed. [I.1]

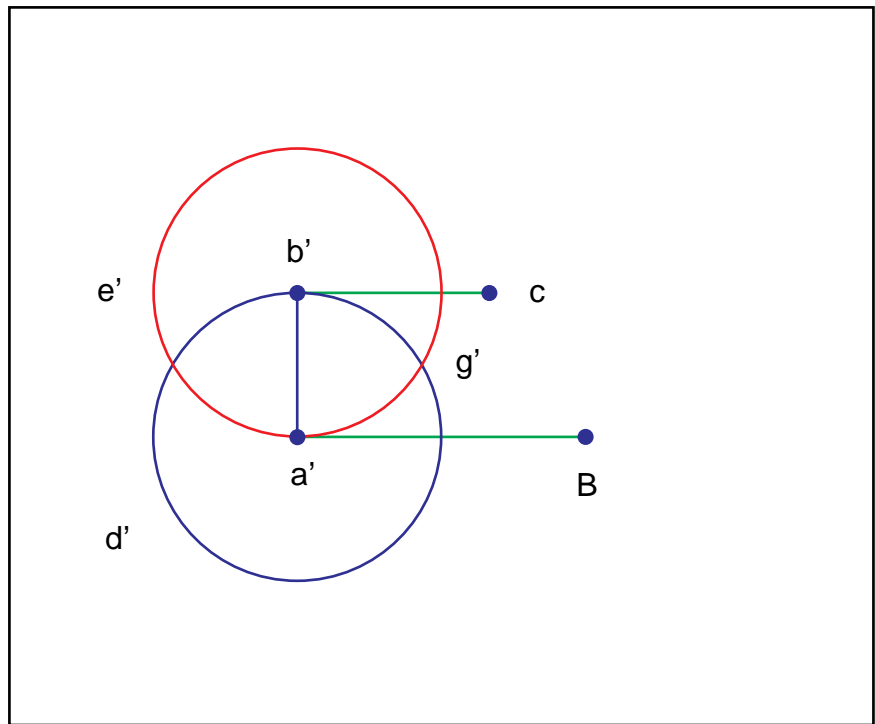


GOSUB I.1. Relabel points.

I.1:7. With centre a' and distance $a'b'$ let the circle $b'g'd'$ be described; [Post.3]

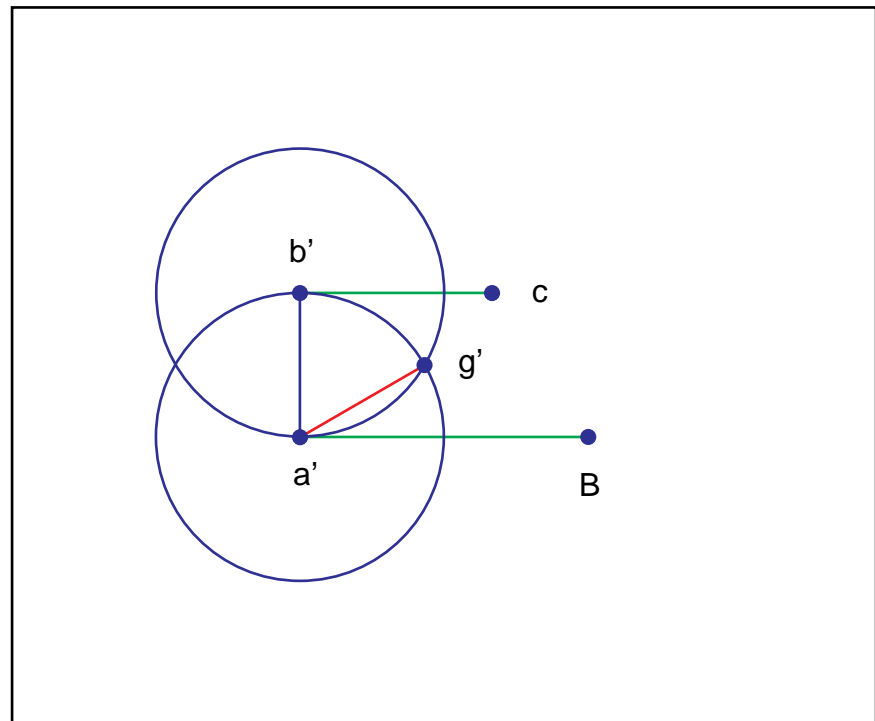


I.1:10. again with centre b' and distance $b'a'$ let the circle $a'g'e'$ be described; [Post.3]

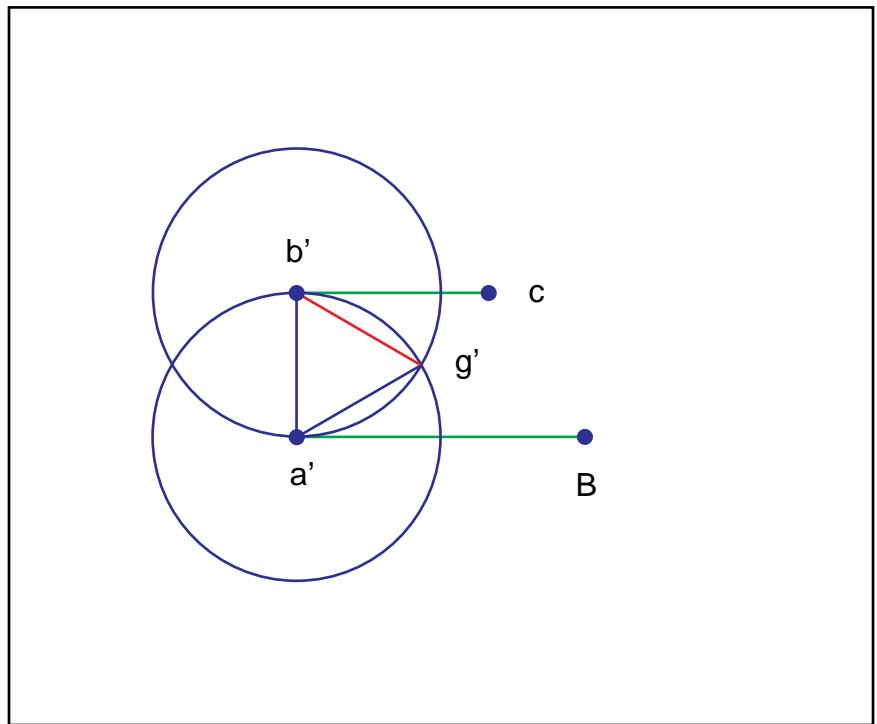


I.1:13. And from the point g' in which the circles cut one another, to the points a' , b' , let the straight lines $g'a'$, $g'b'$ be joined. [Post.1]

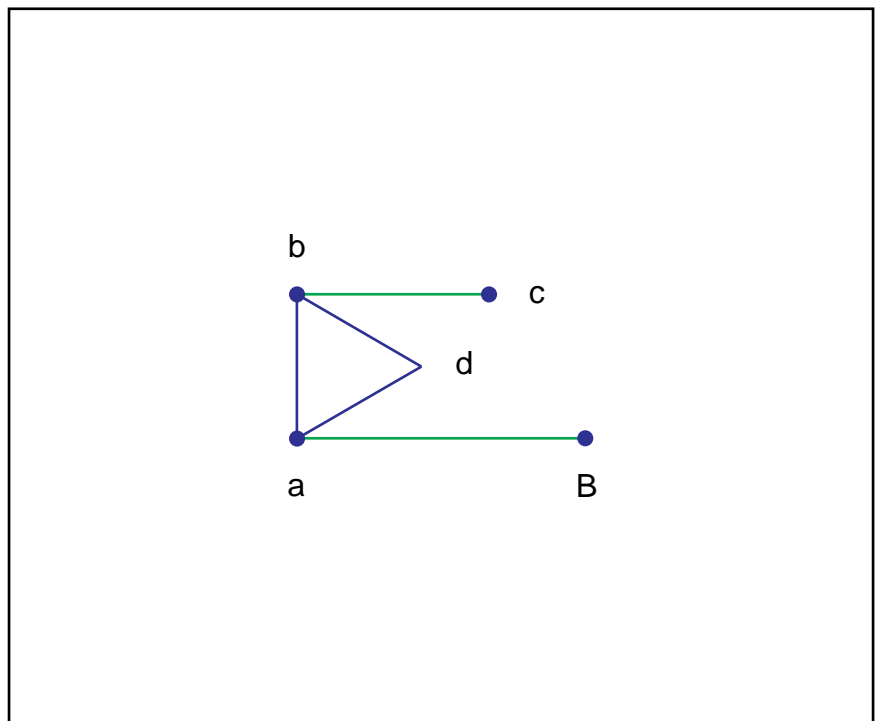
(First, $a'g'$.)



(Next, $b'g'$.)

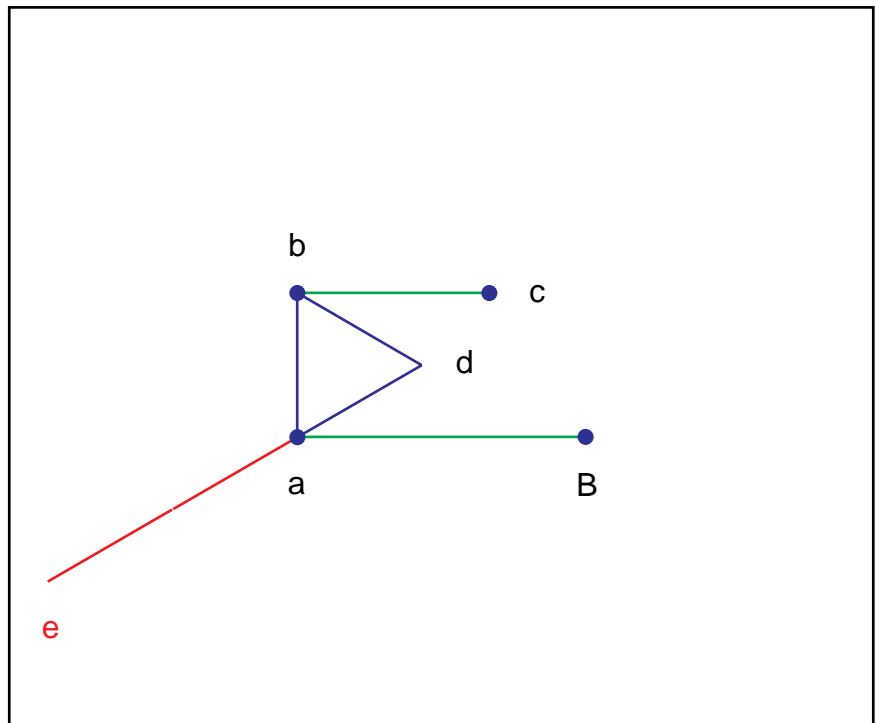


Cleanup. Relabel points.
RETURN to I.2 at line 11.

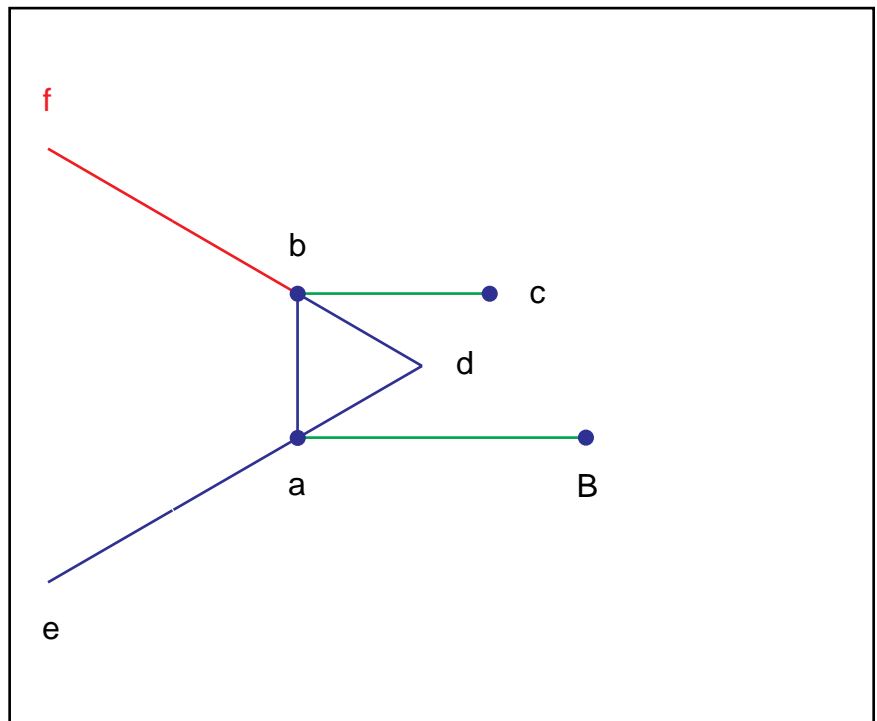


I.2:11. Let the straight lines ae , bf be produced in a straight line with da , db ;

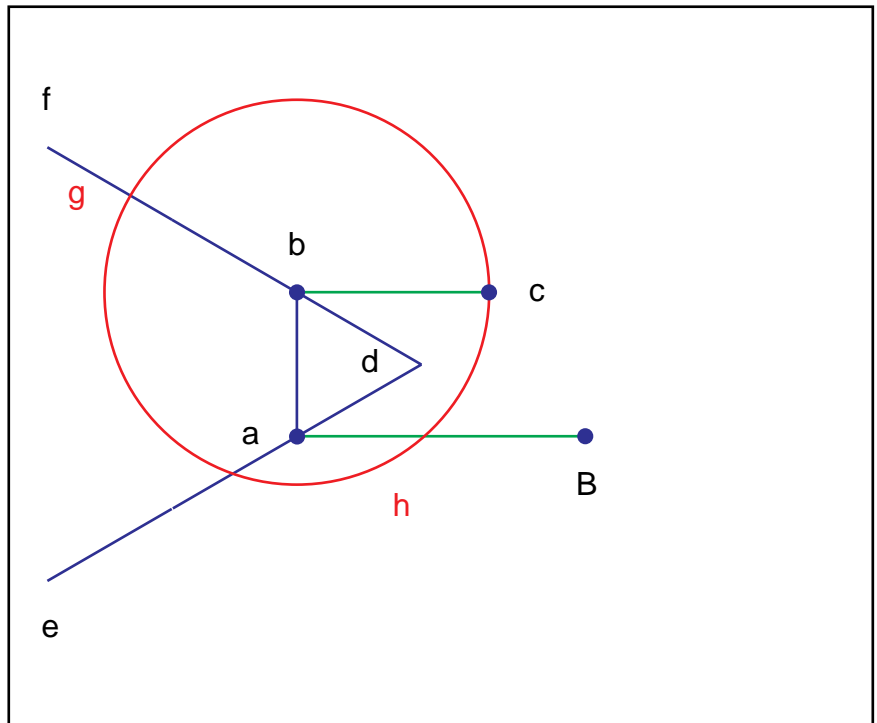
(First, ae .)



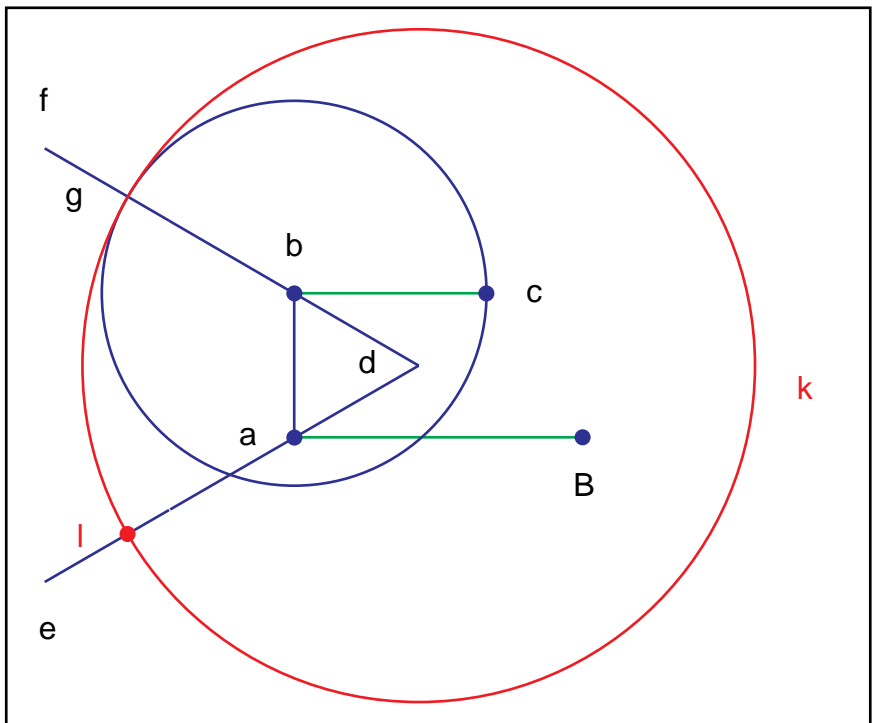
(Next, bf .)



I.2:14. with centre b and distance bc let the circle cgh be described;



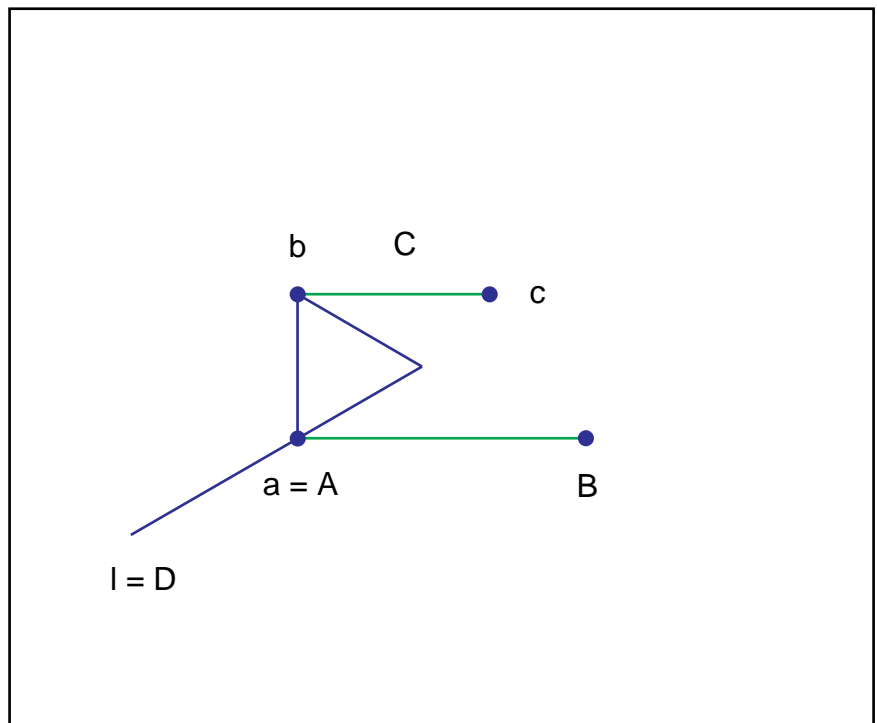
I.2:16. and again, with centre d and distance dg let the circle gkl be described. (The point l is where the new circle cuts de.).



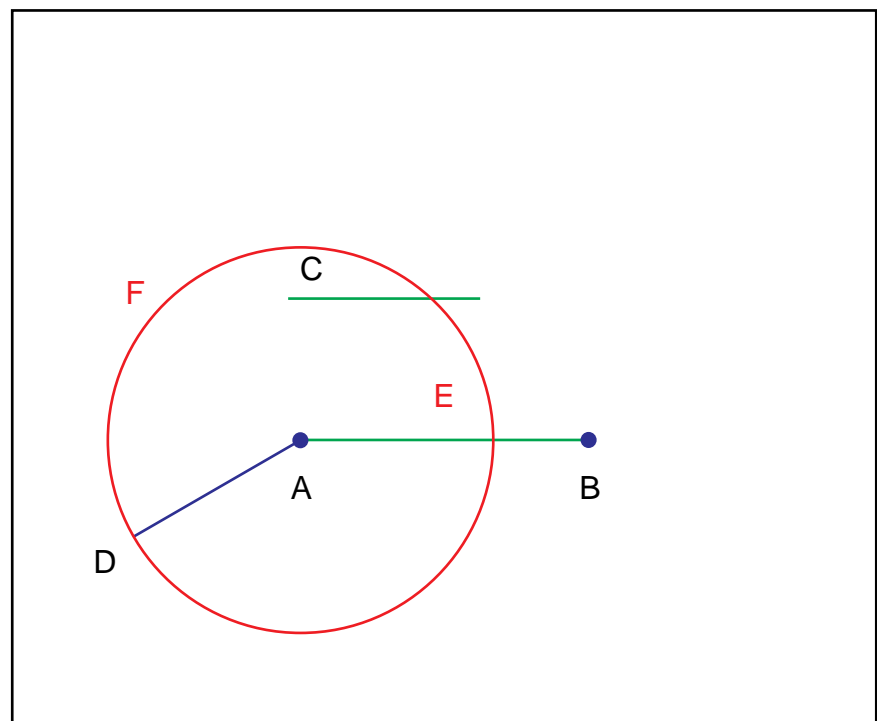
The line al is equal to bc and is at a , so clean up.

RETURN to I.3 at line 10.

Relabel l as D .



I.3:12. and with centre A and distance AD let the circle DEF be described. [Post.3] (The point E is determined by the crossing of DEF through AB .)



I.3:19. From AB the greater, AE has been cut off equal to C, the less.

Q.E.F.

