## Construction 37: Book IV, Proposition 15

In a given circle to inscribe an equilateral and equiangular hexagon.

IV.15:3. Let ABCDEF be the given circle;

IV.15:6. Let the diameter AD of the circle ABCDEF be drawn; let the centre G of the circle be taken ([III.1])

GOSUB III.1.
Relabel.

III.1:2. Let abc be the given circle;
III.1:4. Let a straight line ab be drawn through it at random,

III.1:5. and let it be bisected at the point d; ([I.10])

GOSUB I. 10 (C\#5B)
Swing ab around a.


Swing ba around b.


## Connect the crossing points.

Mark the point $d$ which is the bisector of $a b$.

Cleanup (preserve the new line in anticipation).

RETURN to III.1:5.

III.1:7. from d let dc be drawn through at right angles to ab and let it be drawn through to e; let ce be bisected at f; ([I.10])

GOSUB I. 10 (C\#5B, again).

WANTED


## Swing ce around c .



Swing ec around e.


Connect the crossing points. Mark the point f .

Cleanup. Preserve ce. RETURN to III.1:7.

RETURN to IV.15:6.
Relabel.

A and D now label the endpoints of the diameter.

IV.15:8. and with centre D and distance DG let the circle EGCH be described;

C and E now label the crossing points of the two circles.

IV.15:11. let EG, CG be joined and carried through to the points B, F,

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IV.15:13. and let $\mathrm{AB}, \mathrm{BC}, \mathrm{CD}$, DE, EF, FA be joined.


## Cleanup.

Done.


